

simple forecasting methods

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Average method

We are going to discuss about Dow Johns Industrial Average data from jan 2006 to Dec 2015. Let

```
setwd("~/Documents/Winter2016/time_series/ts_data_collection")
# this is a location of my data file.
#You can go to session- setup the working directory and copy the same directory from the R-console.
#OR directly type a directory. It is basically a location of data folder
# Make sure to write the directory within Quotation
# You need to setup a correct directory to run this document

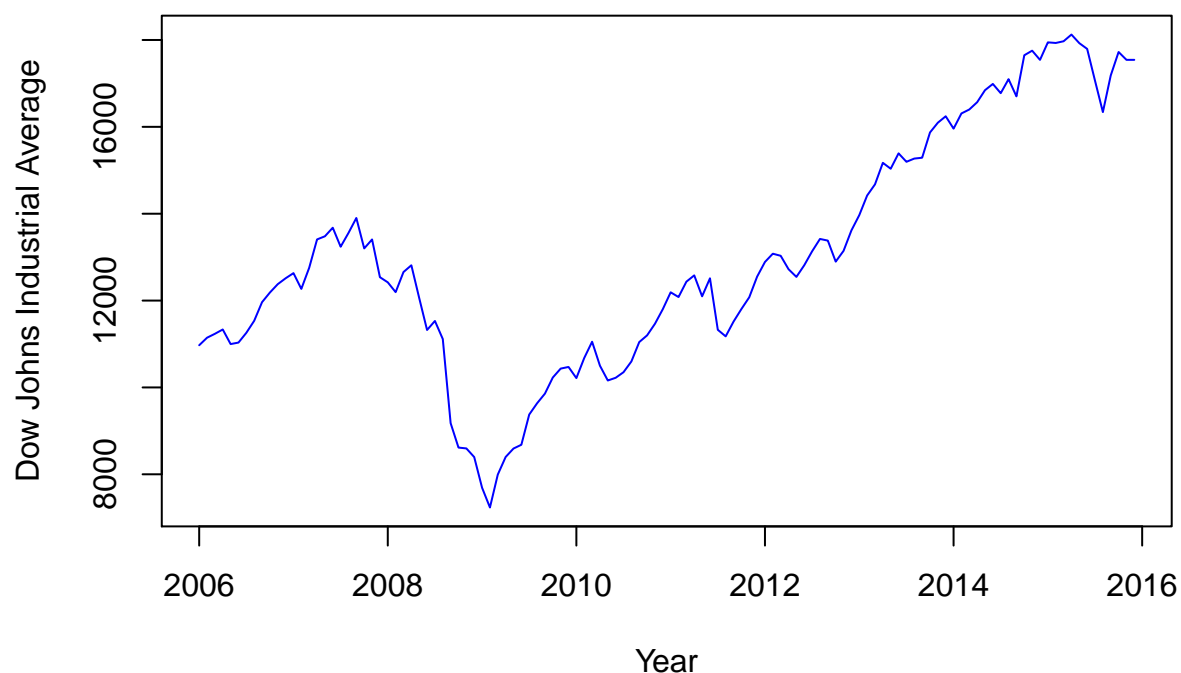
dj<-read.csv("DJIA_monthly.csv", header=FALSE) # there is no column name in the data

# commenet =NA will remove all the hastags from R output

dj<-dj[,2]
dj1<- ts(dj, start=c(2006,1), end=c(2015,12), frequency=12)
is.ts((dj1))
```

```
[1] TRUE
```

```
plot(dj1, col="blue", xlab="Year", ylab="Dow Johns Industrial Average")
```



Average Method: Frecaast of all **future** values is the average of all th observed values.

The downloaded binary packages are in

/var/folders/vp/qtt33lh91qvctncrljyk7lg42zbmb1/T//RtmpRylLZV/downloaded_packages

```
dj2<- window(dj1, start=c(2006,1), end=c(2012,12), frequency=12)
meanf(dj2, h=5) #h is a forecast horizon
```

	Point Forecast	Lo 80	Hi 80	Lo 95	Hi 95
Jan 2013	11504.6	9449.498	13559.71	8340.481	14668.73
Feb 2013	11504.6	9449.498	13559.71	8340.481	14668.73
Mar 2013	11504.6	9449.498	13559.71	8340.481	14668.73
Apr 2013	11504.6	9449.498	13559.71	8340.481	14668.73
May 2013	11504.6	9449.498	13559.71	8340.481	14668.73

Naive Method

All forecast are set to have the value of last observation. This method is only appropriate for time series data.

```
naive(dj2, h=5)
```

	Point Forecast	Lo 80	Hi 80	Lo 95	Hi 95
Jan 2013	13615.32	13049.72	14180.92	12750.30	14480.34
Feb 2013	13615.32	12815.44	14415.20	12392.00	14838.64
Mar 2013	13615.32	12635.67	14594.97	12117.07	15113.57
Apr 2013	13615.32	12484.11	14746.53	11885.29	15345.35
May 2013	13615.32	12350.59	14880.05	11681.09	15549.55

Seasonal Naive Method

Useful method for highly seasonal data. In this case, we set each forecast to be equal to the last observed value from the same season of the year.

```
snaive(dj2, h=5)
```

	Point Forecast	Lo 80	Hi 80	Lo 95	Hi 95
Jan 2013	12889.05	10070.859	15707.24	8578.998	17199.10
Feb 2013	13079.47	10261.279	15897.66	8769.418	17389.52
Mar 2013	13030.75	10212.559	15848.94	8720.698	17340.80
Apr 2013	12721.08	9902.889	15539.27	8411.028	17031.13
May 2013	12544.90	9726.709	15363.09	8234.848	16854.95

Drift method

Amount of change over time is called drift. Let T be given time series period. Forecast for time $T + h$ is given by:

$$y_T + \frac{h}{T-1} \sum_{t=2}^T (y_t - y_{t-1}) = y_T + \frac{h}{T-1} (y_2 - y_1 + y_3 - y_2 + \dots + y_{T-1} - y_{T-2} + y_T - y_{T-1})$$

$$y_T + \frac{h}{T-1} \sum_{t=2}^T (y_t - y_{t-1}) = y_T + h \left(\frac{y_T - y_1}{T-1} \right)$$

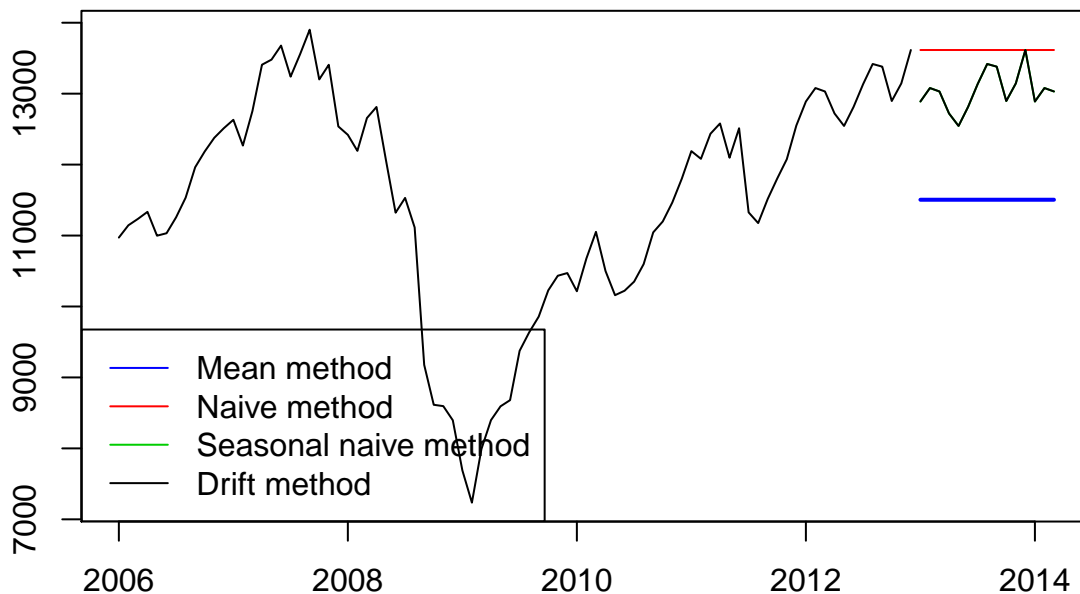
```
rwf(dj2, h=5, drift=TRUE)
```

	Point Forecast	Lo 80	Hi 80	Lo 95	Hi 95
Jan 2013	13647.18	13076.21	14218.14	12773.96	14520.39
Feb 2013	13679.03	12866.77	14491.29	12436.79	14921.28
Mar 2013	13710.89	12710.24	14711.54	12180.53	15241.25
Apr 2013	13742.75	12580.60	14904.89	11965.40	15520.10
May 2013	13774.60	12467.84	15081.37	11776.08	15773.13

Summary

```
dj2<- window(dj1, start=c(2006,1), end=c(2012,12), frequency=12)
djfit1 <- meanf(dj2, h=15) #h is a forecast horizon
djfit2 <- naive(dj2, h=15)
djfit3 <- snaive(dj2, h=15)
djfit4 <- snaive(dj2, h=15)
plot(djfit1, plot.conf=FALSE,
     main="Forecasts for Dow Johns Monthly Index")
lines(djfit2$mean,col=2)
lines(djfit3$mean,col=3)
lines(djfit4$mean,col=1)
legend("bottomleft",lty=1,col=c(4,2,3,1),
     legend=c("Mean method","Naive method","Seasonal naive method", "Drift method"))
```

Forecasts for Dow Johns Monthly Index



Box-Cox Transformation

Mathematical Adjutment

Calender adjustment

Population adjustment

Inflation adjustment

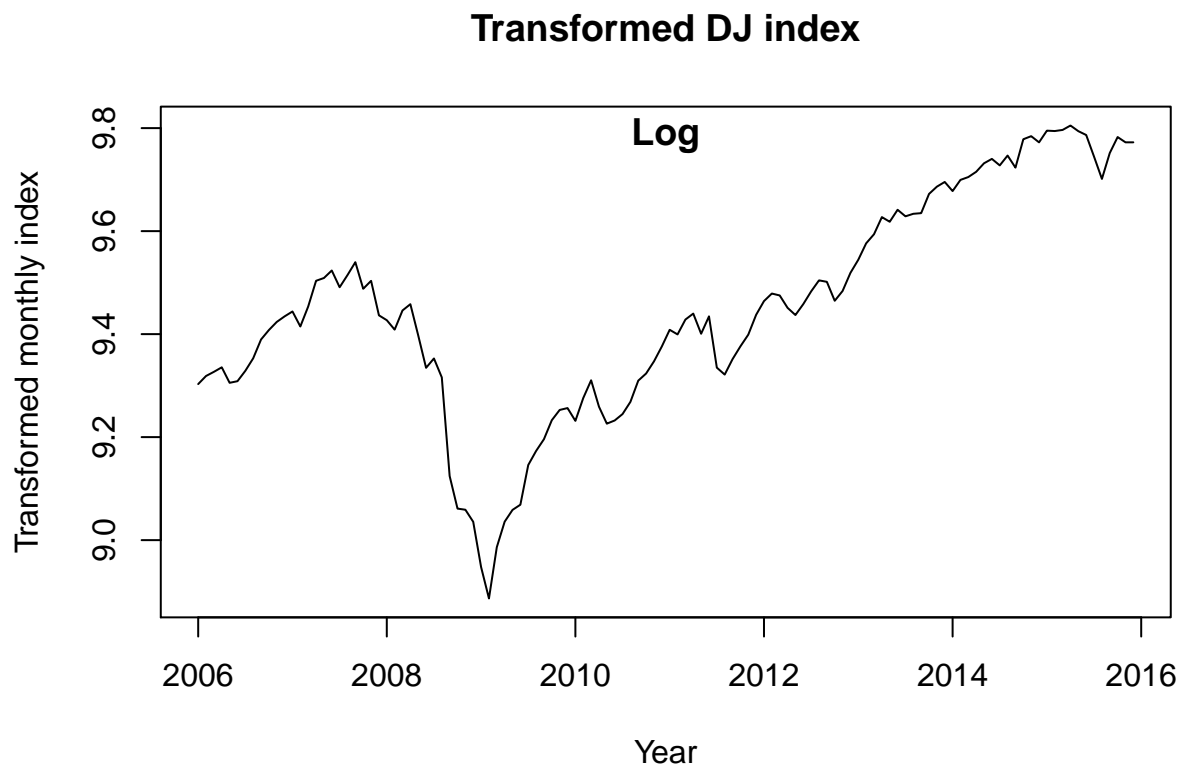
Mathematical Transformation

Useful mathematical transformation are logarithmic and power transformtaion

The Box-Cox power transformation is defined as:

$$w_t = \begin{cases} \log(y_t) & \text{if } \lambda = 0 \\ \frac{(y_t^\lambda - 1)}{\lambda} & \text{otherwise.} \end{cases} \quad (1)$$

```
plot(log(dj1), ylab="Transformed monthly index",  
      xlab="Year", main="Transformed DJ index")  
title(main="Log",line=-1)
```



After transferring the data we need to reverse the transformation (or back-transform) to obtain forecasts on the original scale. The reverse Box-Cox transformation is given by

$$y_t = \begin{cases} \exp(w_t) & \text{if } \lambda = 0 \\ (\lambda w_t + 1)^{\frac{1}{\lambda}} & \text{otherwise.} \end{cases} \quad (2)$$

```
# The BoxCox.lambda() function will choose a value of lambda for you.  
lambda <- BoxCox.lambda(dj1) # = 1.99 ~ # it looks like square function works well  
lambda
```

```
## [1] 1.999924
```

```
plot(BoxCox(dj1,lambda))
```

